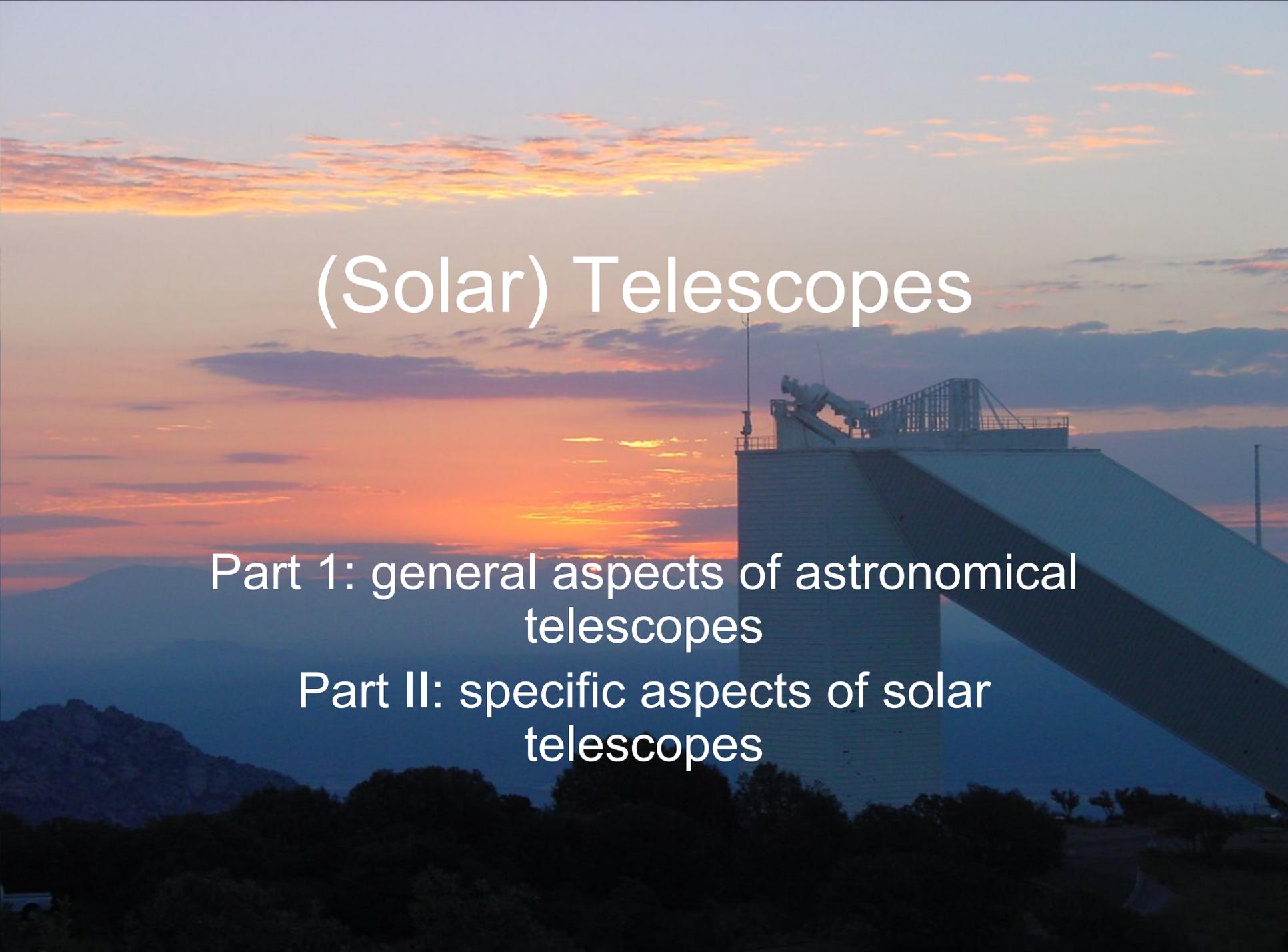


# (Solar) Telescopes

A large solar telescope is mounted on a tall, white, cylindrical structure on a mountain peak. The telescope is a long, narrow tube pointing towards the sky. The background is a dramatic sunset with orange and yellow clouds against a blue sky. The foreground shows dark silhouettes of trees and mountains.

Part 1: general aspects of astronomical  
telescopes

Part II: specific aspects of solar  
telescopes

# Contents of Part I

- What are telescopes good for?
- some historical aspects
- the paraxial telescope
- real optical systems
- a simple (solar) telescope
- the telescope Zoo



# Contents of Part II

- science drivers in solar observations
- optical parameters of solar telescopes
- performance criteria of (solar) telescopes
- specific problems in solar observations
  - stray light
  - thermal aspects 1: „mirror seeing“
  - thermal aspects 2: athermalisation of optics

# Contents of Part II contd.

- Examples of solar telescopes: a personal retrospective
  - McMath Pierce facility Kitt Peak
  - Solar Tower telescopes
  - Gregory telescopes
  - SUNRISE telescope
  - Polarimetric and Helioseismic Imager (PHI) onboard Solar Orbiter

# Telescopes I

General aspects of astronomical  
telescopes

# What is a telescope?

A telescope

- is historically a direct viewing system (telescope means „far distance viewing“ → needs eye as part of the optical train!)
- is today an instrument to map an angular pattern on the sky (the object is at „infinite“ distance!) onto a detector → in this sense all modern „telescopes“ are cameras!
- collects (hopefully lots of) photons and concentrates them on detector element

# History of solar telescopic viewing

- first telescope pointed to the sky by Galileo; also the Sun is target: Sunspots seen
- Scheiner uses telescope to project an image of the Sun (safe (indirect) solar viewing)
- first dedicated solar telescopes from beginning of 20th century on, first peak in the 40ies (military interest in flare forecast; very actual, still good argument to get funding 😊)

# optical basics of telescopes

- understanding a telescope is easiest using the concept of geometrical optics („light rays“; the *paraxial* approximation is the paradise: you can build everything and don't have to bother with real optics and its limitations → typical „proposal optics“

# The paraxial telescope

- in the following, optical elements are represented by ideal „operators“ acting on direction of geometric light rays (this is also sometimes called „matrix optics“)
- paraxial approximation: in Snell's law replace  $\sin x \sim x$

# NOTA BENE!

- each „paraxial lens“ can represent a complex optical system:

- a real lens
- a combination of lenses
- a mirror
- a combination of mirrors
- a combination of mirrors and lenses

in this case the telescope is called a :

} refractor

} reflector

} catadioptric system

# basic parts of an optical system

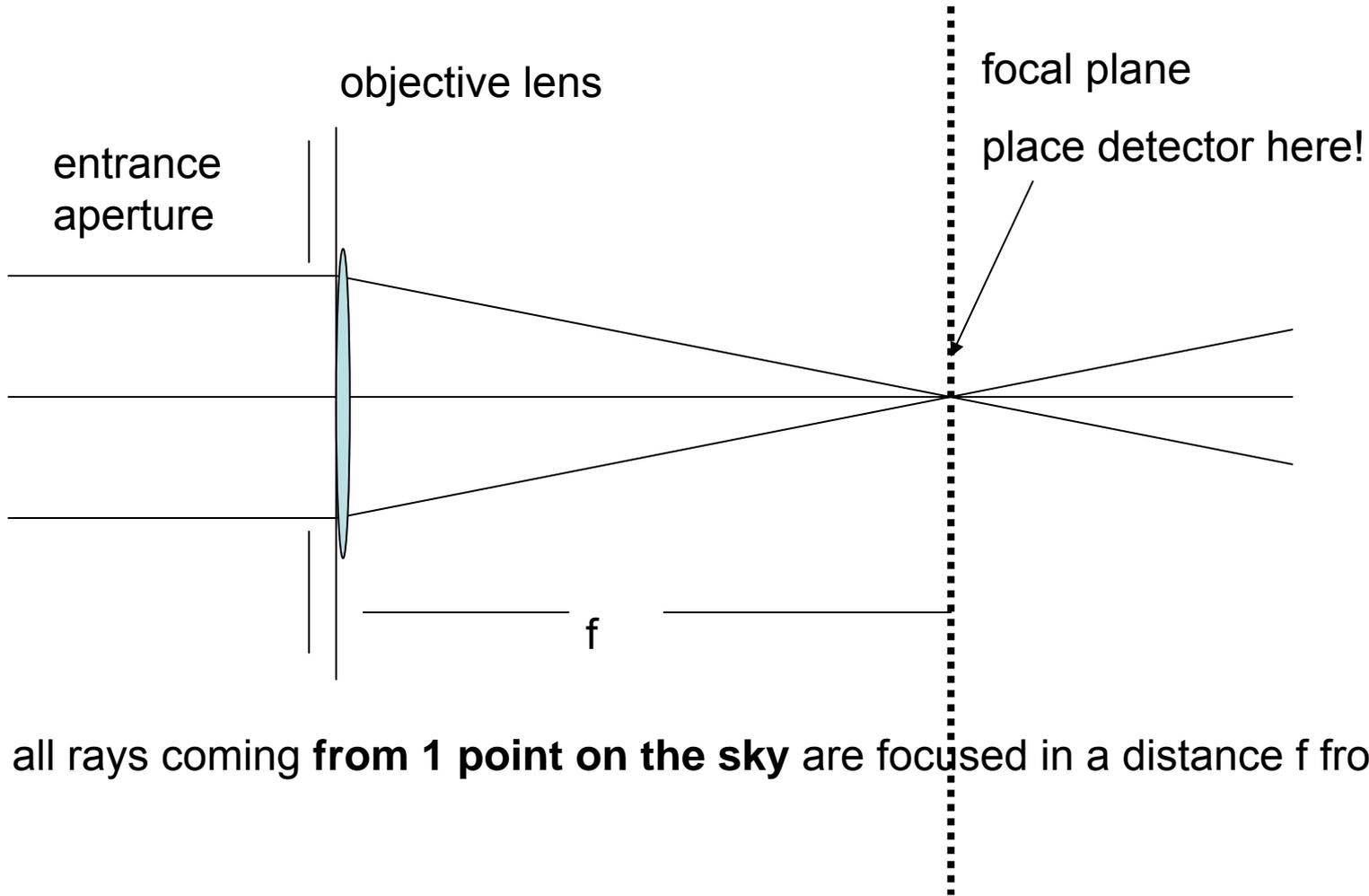
You need:

- entrance aperture
- objective lens
- focal plane (detector)      that's it!

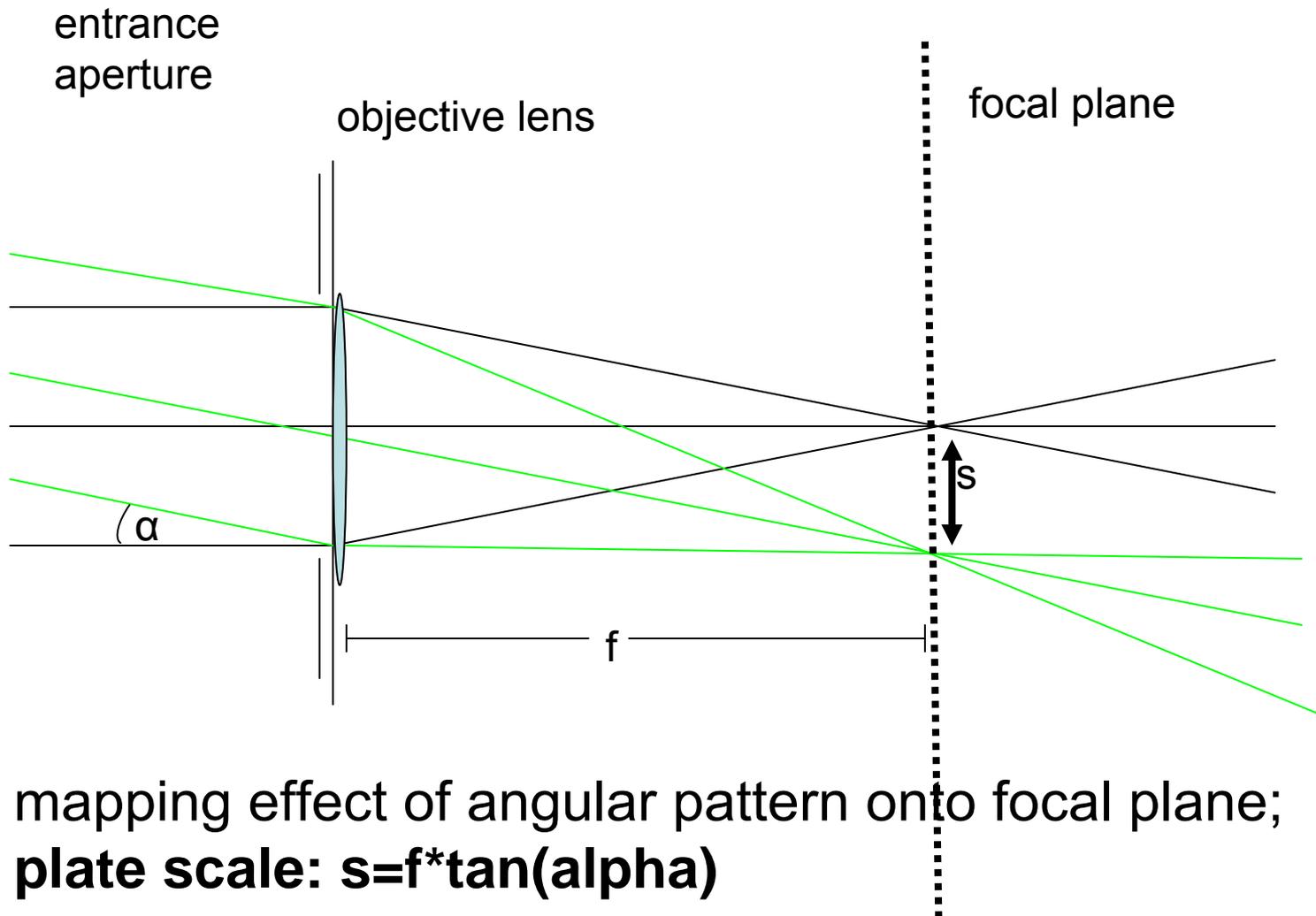
You can further add:

- „eyepiece“ optics (can also be a complex instrument, c.f. a spectrograph, spectropolarimeter, magnetograph, Fabry-Pérot interferometer....)

# our first telescope



all rays coming **from 1 point on the sky** are focused in a distance  $f$  from lens



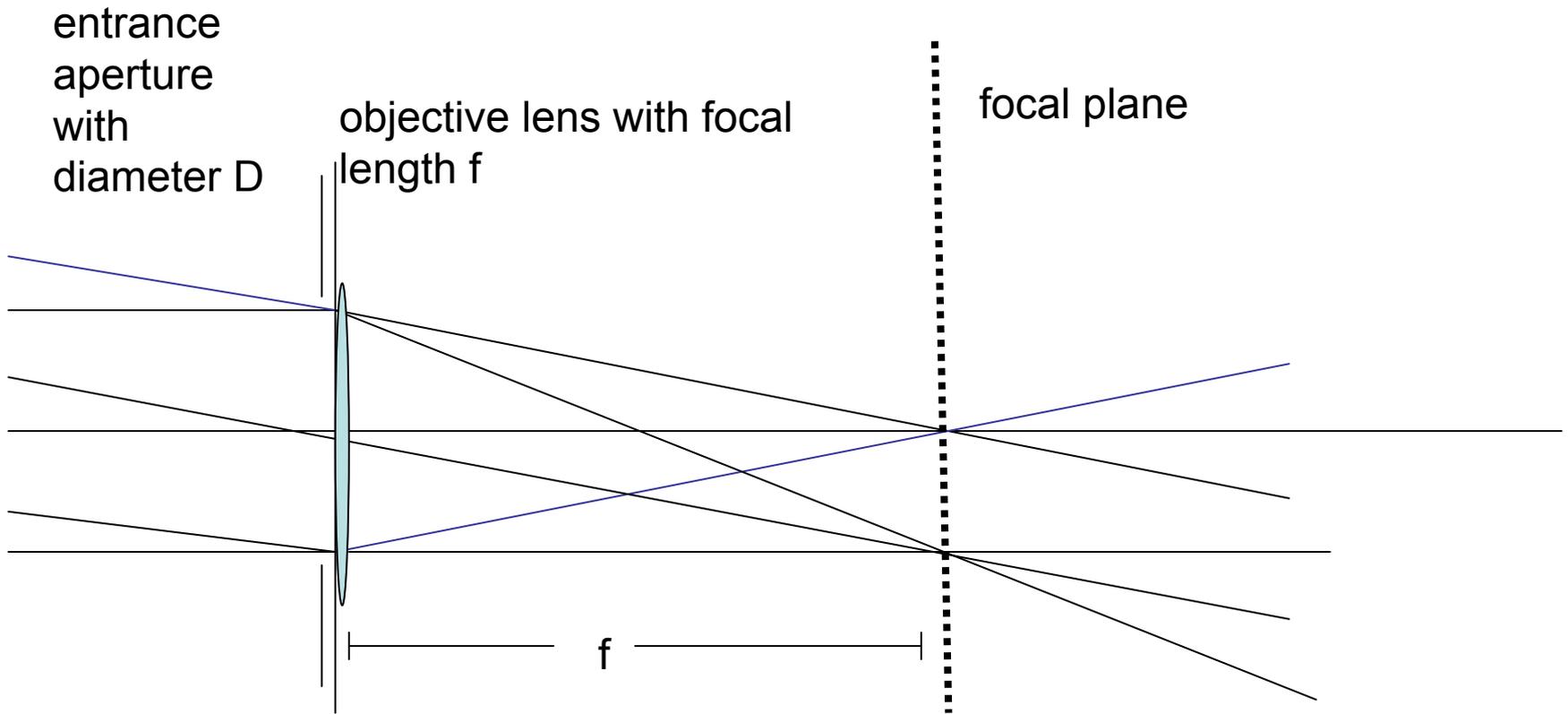
mapping effect of angular pattern onto focal plane;  
**plate scale:  $s=f*\tan(\alpha)$**

given in arcsec/mm or arcsec/px

$f$  can be defined via plate scale: „effective focal length“

# basic parameters of an optical system

- angular magnification
  - plate scale
  - field of view
  - entrance pupil diameter
- } this is what you want
- focal length
  - f-ratio
  - exit pupil diameter
- } this is what you need



light from one point (direction) on the sky falling onto aperture area is concentrated in one „point“ on the detector

# photon collecting power

- **stellar image (point) brightness proportional to  $\sim D^2$**
- **area brightness of an extended object given by ratio  $D^2/F^2 = (D/f)^2$  (since size of the image scales with  $f$ !)**
- **in photography  $D/f$  is called the „*aperture*“ (c.f. 1/2.8, 1/5.6, ...1/32)**
- **in astronomy  $f/D$  is called *f-ratio* or *F#***
- **high  $F\#$ : *slow system*: needs long exposure**
- **low  $F\#$ : *fast system*: allows fast exposures**

# visual observations: the eyepiece

- eyepiece re-collimates the image rays („parallel light“) in order to allow „reimaging“ by the observers eye
- „the intermediate image in the telescope is seen through a magnifying lens“
- angular magnification given by  $f_{\text{obj}}/f_{\text{okular}}$

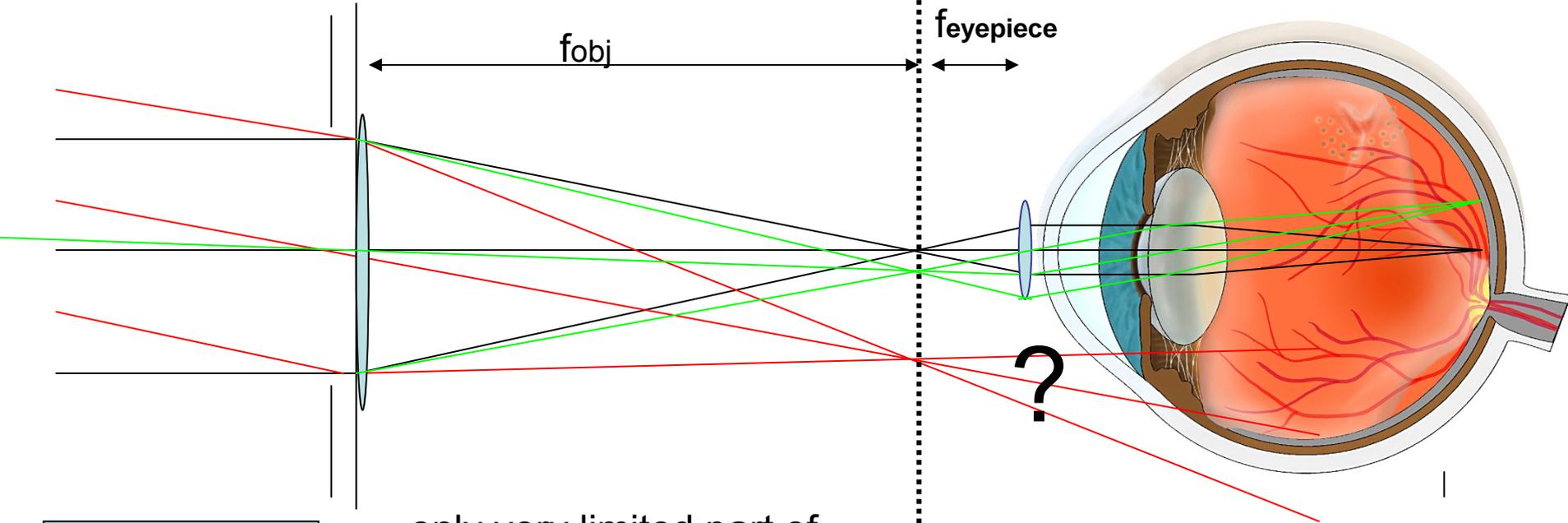
entrance  
aperture

objective lens

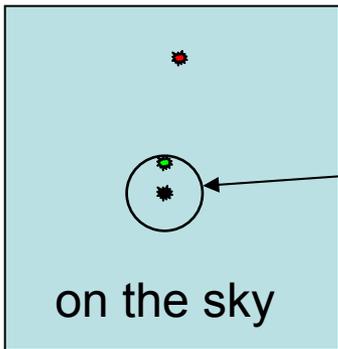
focal plane

$f_{obj}$

eyepiece



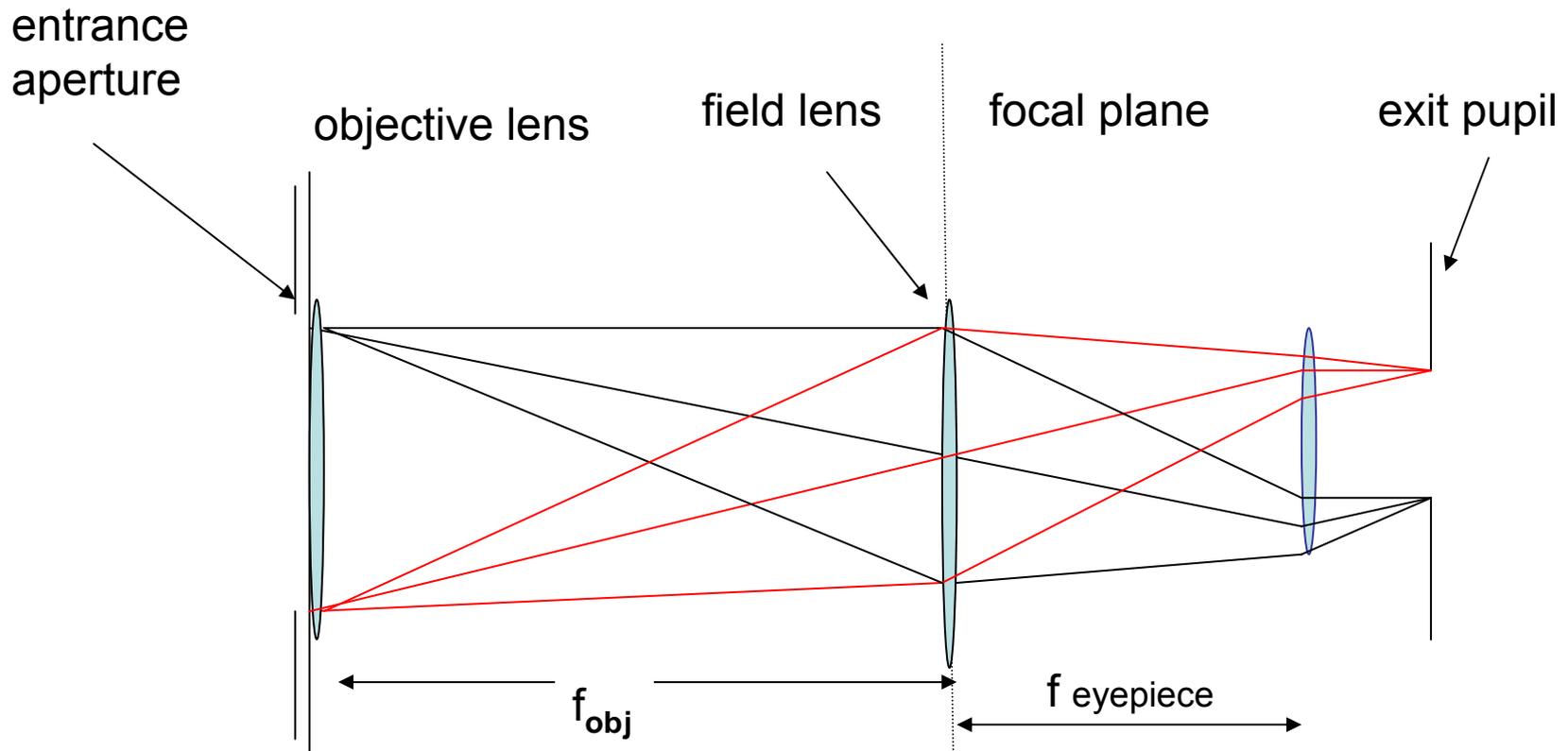
only very limited part of  
the intermediate image  
can be seen (limited *field  
of view* FOV)



on the sky

# FOV and field lens

- how is it achieved that the light that enters the telescope can exit again???
- small size of eyepiece restricts the angular coverage in observations (FOV)
- Solution: place lens in focal plane to image the entrance pupil onto eyepiece lens
- diameter of this lens determines the useable field → „*field lens*“



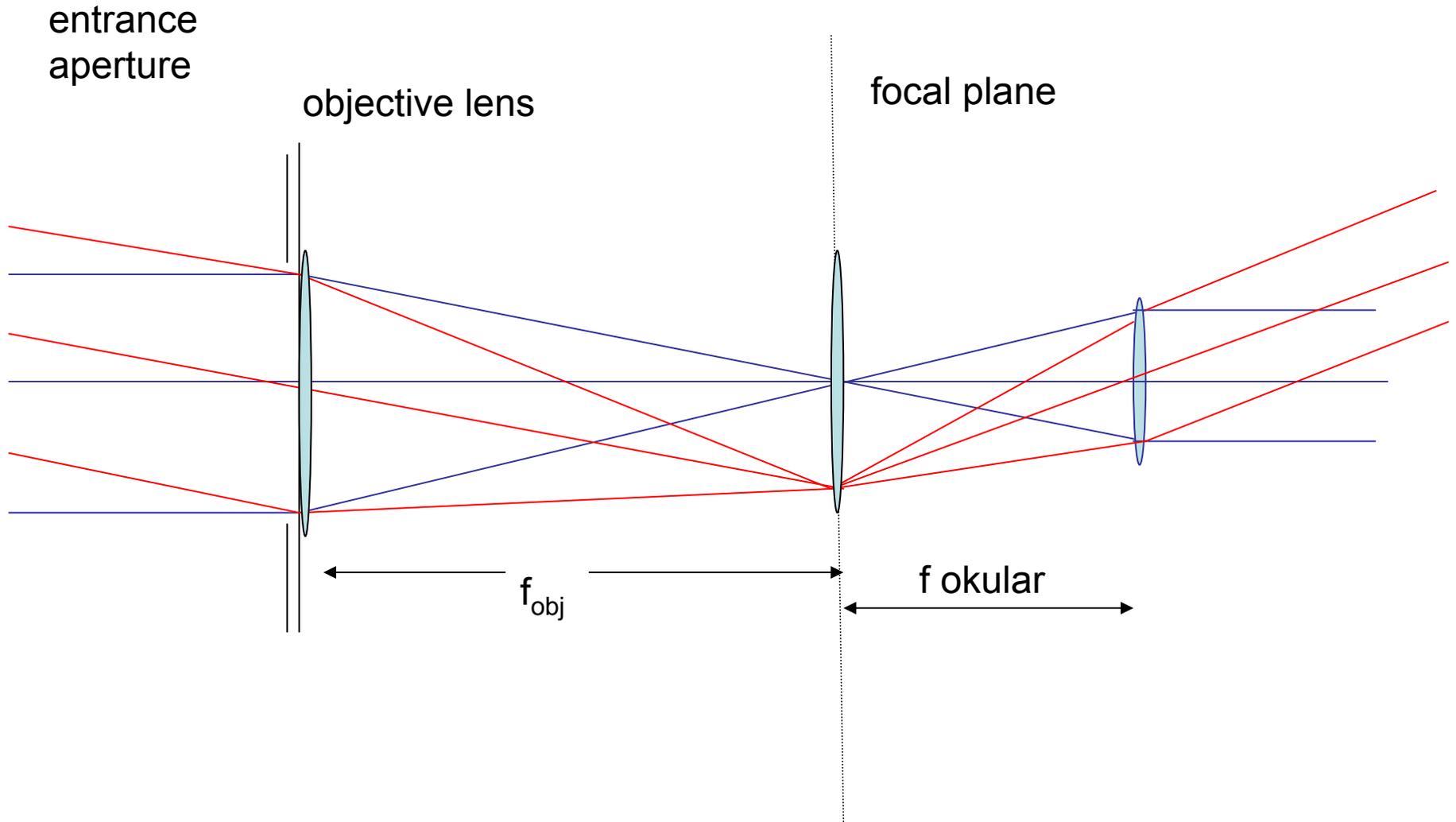
**field lens** images the entrance aperture onto the so-called **exit pupil** of the system; the size of the exit pupil is  $D \cdot f_{eye} / f_{obj}$ ; it should match the size of the entrance pupil of the following optical system ( for visual observations: 5-7mm for dark adapted eye); therefore the size of the human eye limits the maximum and minimum useful magnification for a telescope with given aperture  $D$  !

# interlaced optical paths

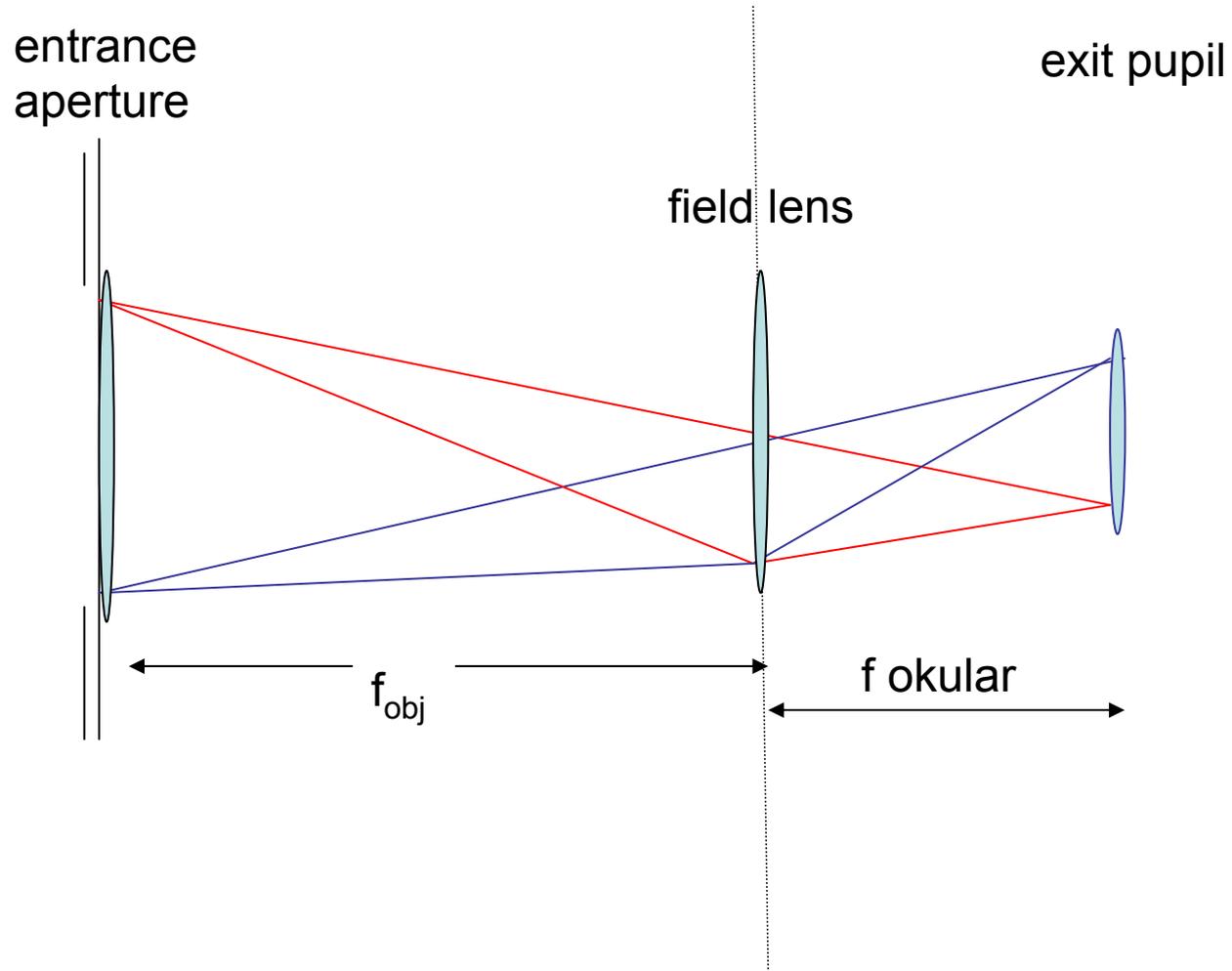
- in every optical instrument:  
image path  $\leftrightarrow$  pupil path are nested in  
each other !!!

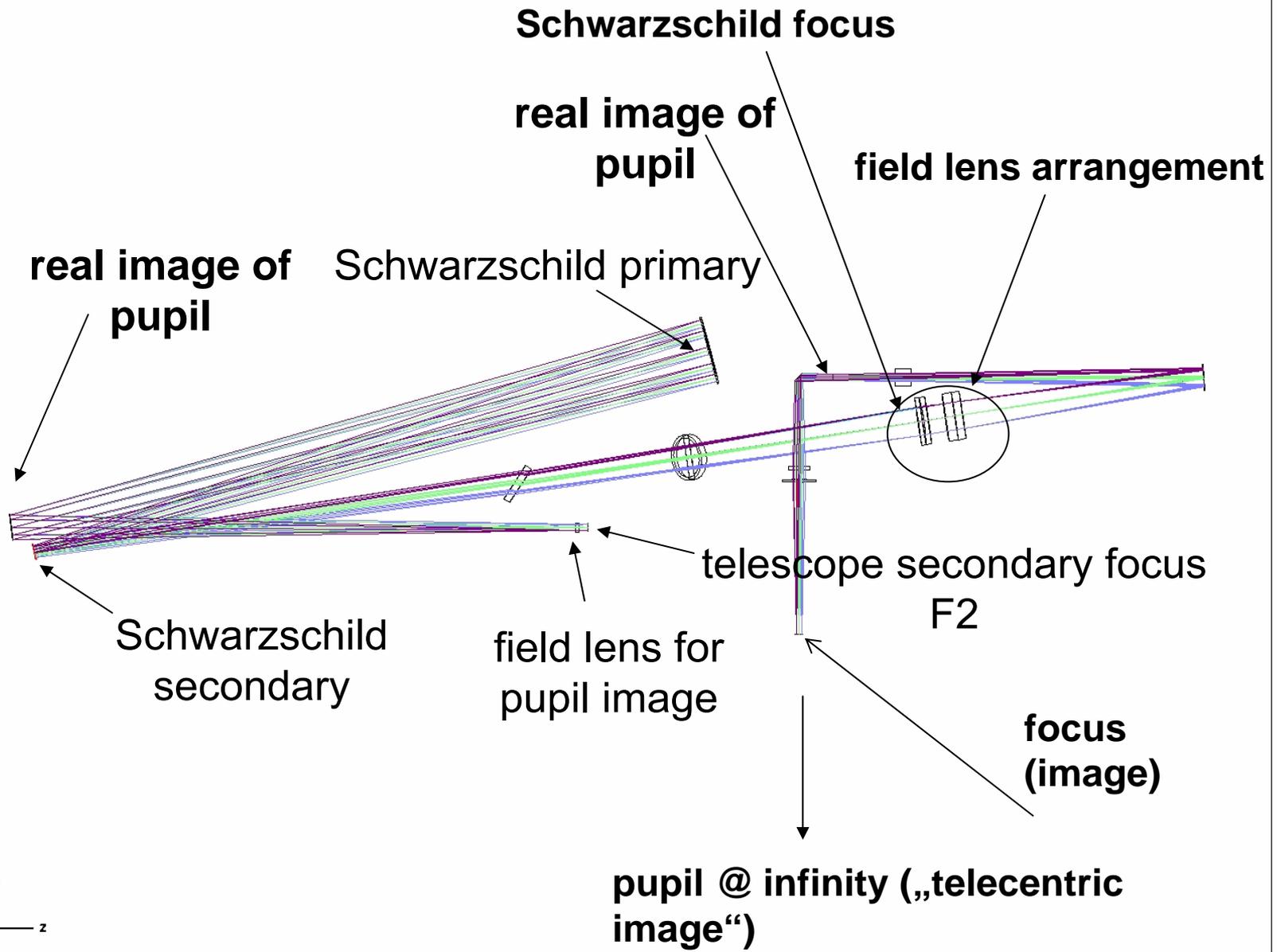
Example: SUNRISE ISLID reimager:

# image path of our example telescope

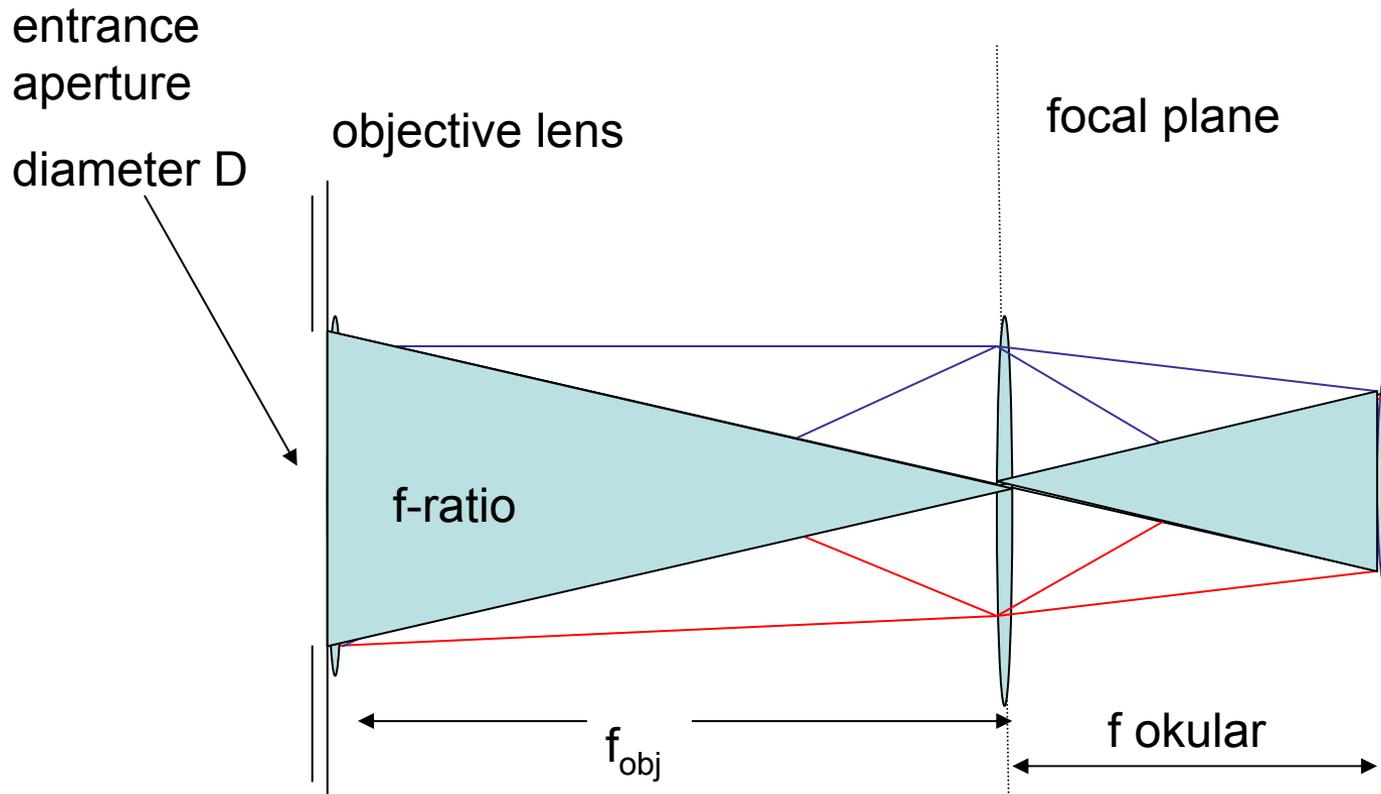


# pupil path of our example telescope



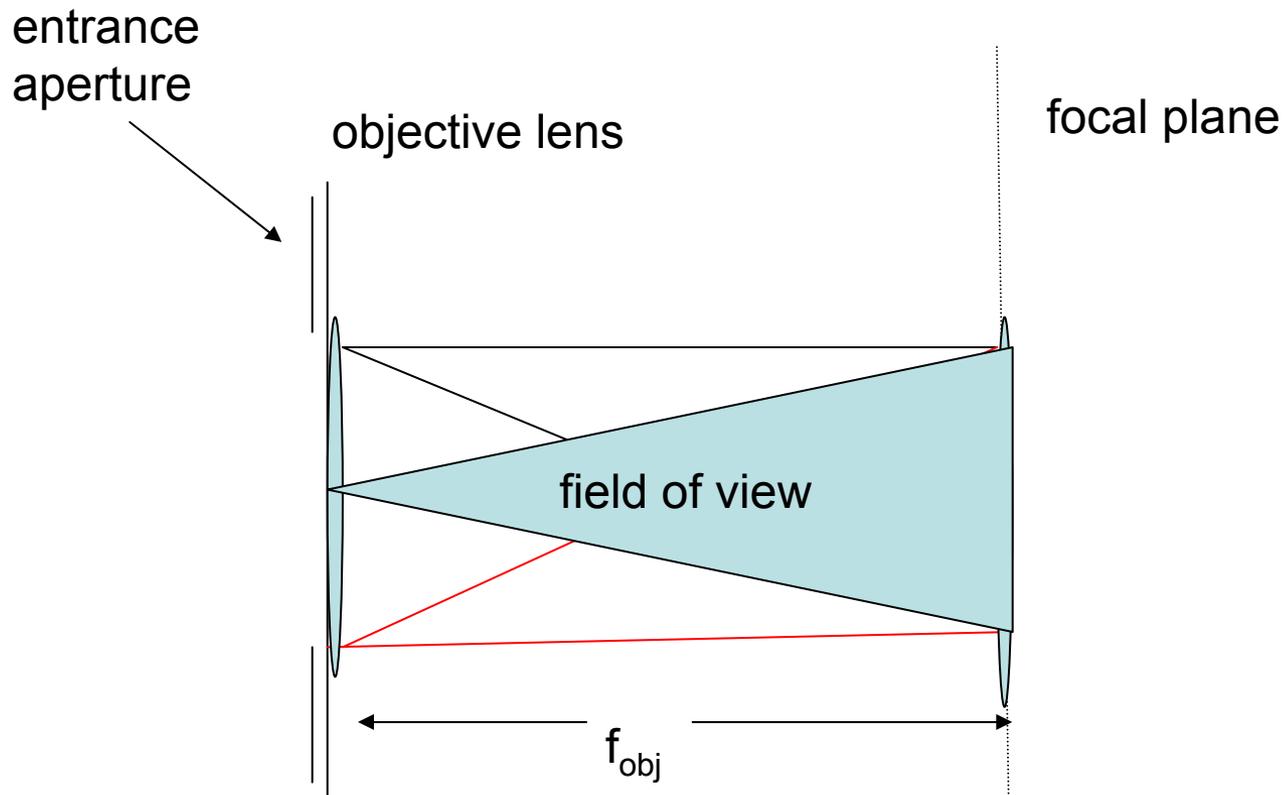


the two relevant angles in optical systems:  $F\#$  and FOV



blue cone: each focal point sees light coming from a cone with opening angle  $D/f_{\text{obj}}$  („homofocal cone“). The smaller  $D$ , or the longer  $f$ , the slower is the system.

Post-focus instruments must match the F# of the feeding telescope!



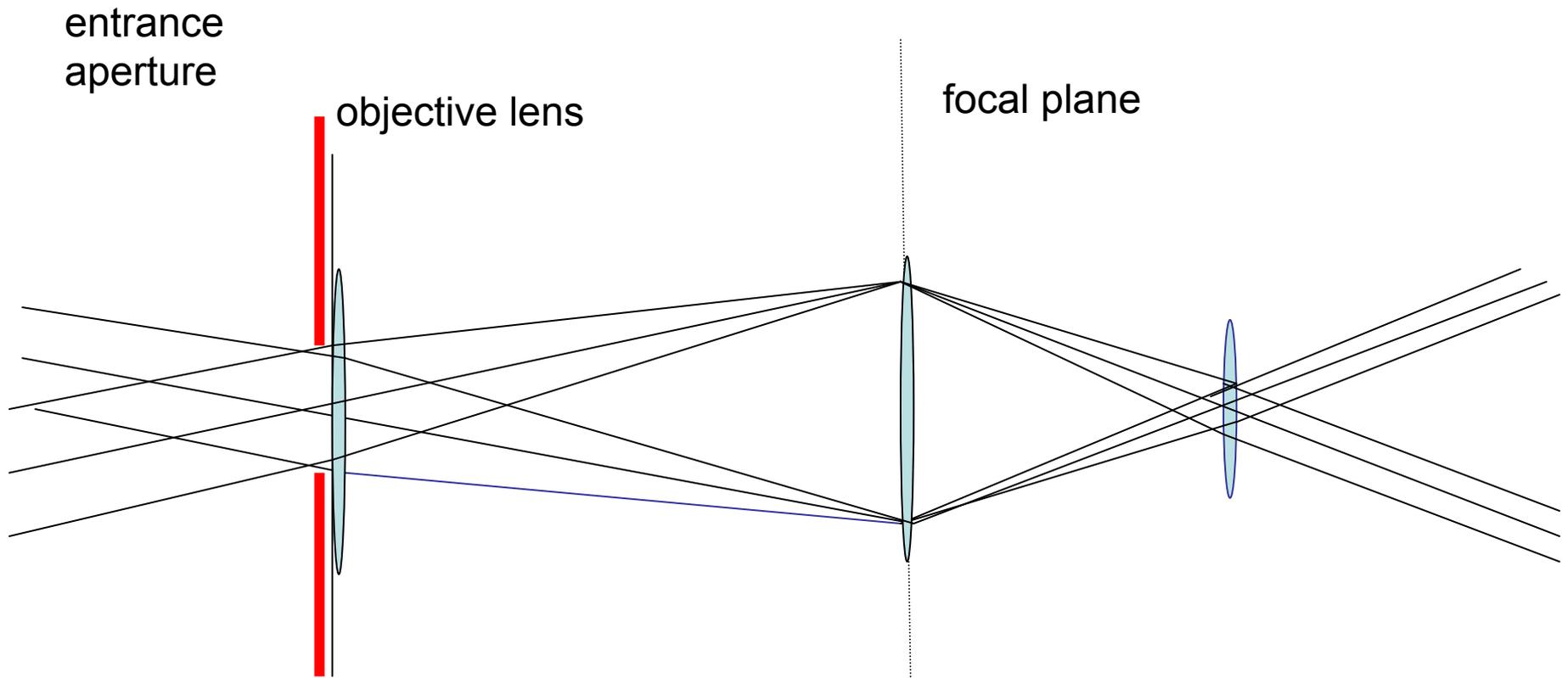
blue cone: the size of the detector and the focal length determine the field of view of the telescope (instrument).

# Field stops, apertures, obscurations, spiders, vignetting..

Let's talk about obstacles of all kinds...

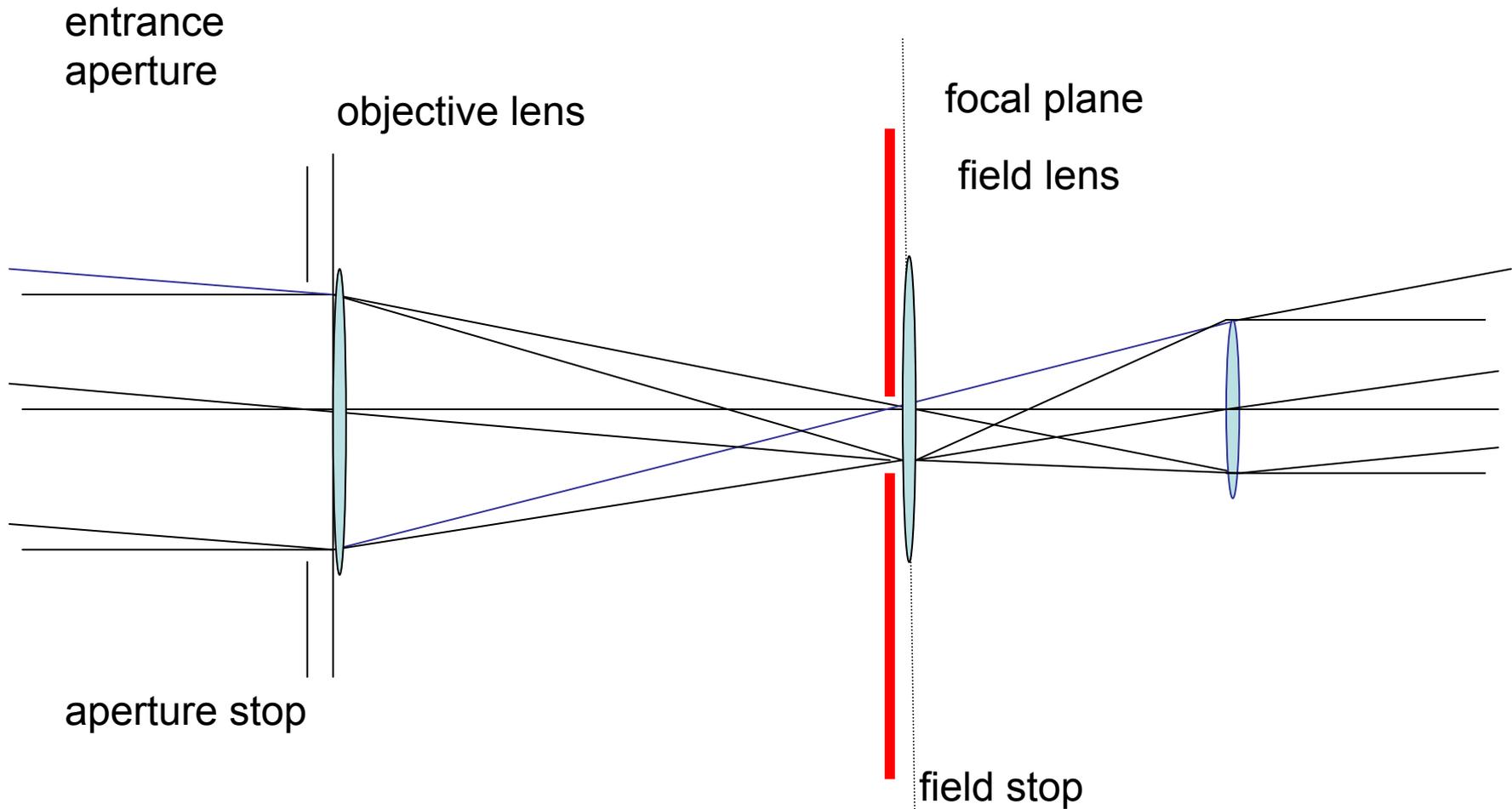
- light rays propagate until they hit an optical surface or a wall....

the effect of an obstacle depends on its location in the optical system



**reducing the entrance aperture steepens the illumination cone and reduces surface brightness in the focal plane („stopping down“ the optics).**

**The field of view, however, is not affected!**

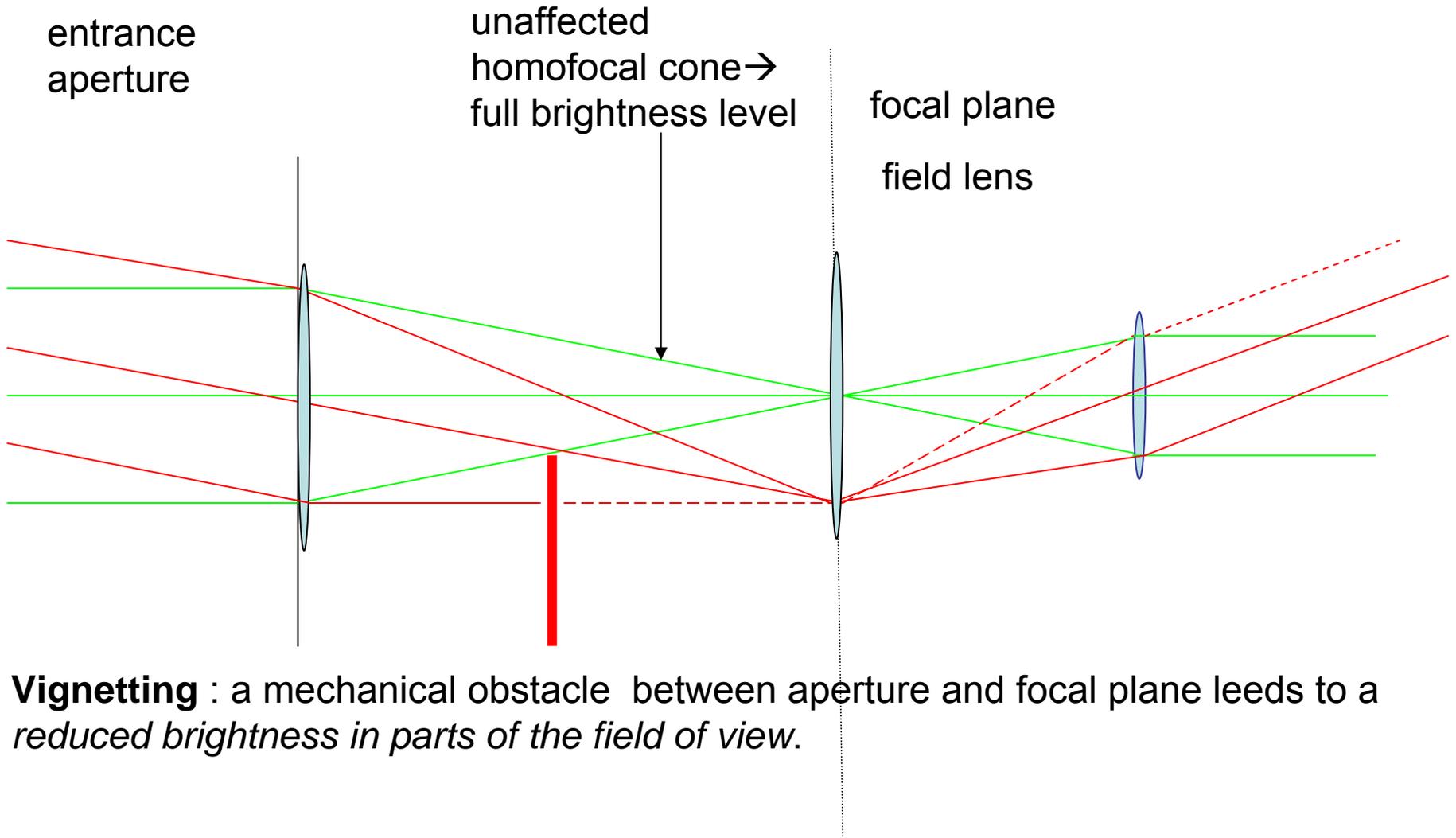


A ***field stop*** restricts the useable field of view.

It has no influence on the brightness of the image! **Note: During a solar eclipse the moon acts as a field stop! Extreme danger for the retina, since the surface brightness on retina remains unchanged!**

# Vignetting

- What happens, if a mechanical obstacle is placed somewhere in between a pupil and an image?



:

# unvignetted and vignetted image



found at: [leicabirding.blogspot.com](http://leicabirding.blogspot.com)

sharp field stop



found at: [http://www.marchlords.com/pics/05-0410/100\\_0371.jpg](http://www.marchlords.com/pics/05-0410/100_0371.jpg)

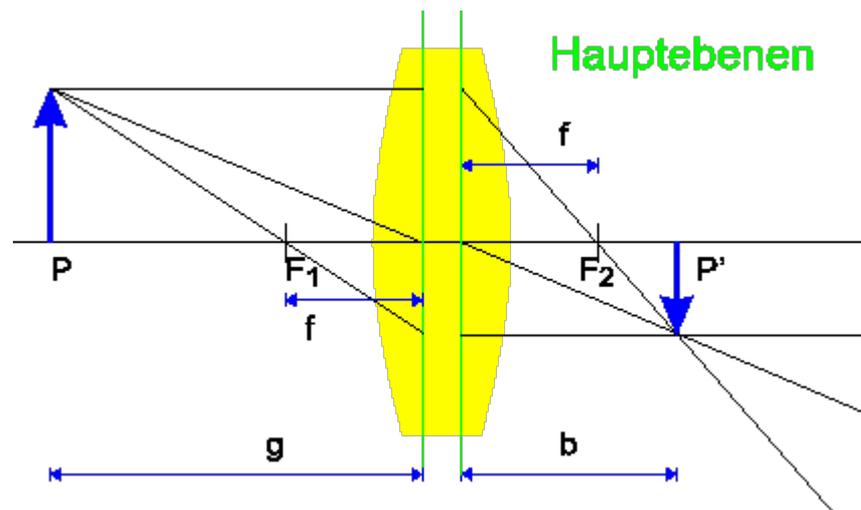
unsharp field stop with decreasing intensity towards edge of field

from dream to reality: real optics

# real optical systems

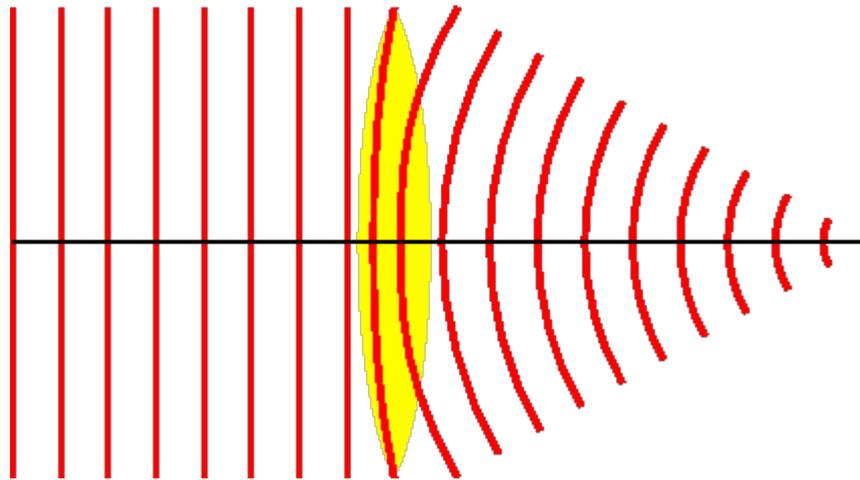
We abandon the paraxial approximation, but remain in the concept of geometrical optics

- geometric optics: light represented by rays; rays obey Snell's law of refraction



# alternatively: wave optics

- wave optics: concept of wave fronts; optical elements deform wave fronts by influencing optical path length → next lecture



# Reality: optical aberrations

- paraxial approximation not fulfilled for real optical elements → one has to fight with *optical aberrations*
- *aberrations* can make your life difficult!
- several types of aberrations:
  1. purely geometric aberrations: no impact on quality of point image, but on its location
    - image curvature
    - image tilt
    - distortion
  2. wavefront relevant aberrations: deteriorate image quality

only wavefront aberrations regarded here!

# chromatic aberrations

- come always into play when using **refractive** elements
- *refractive index* (optical path length in glass) depends on frequency (wavelength); called „*dispersion*“
- effects: *lateral* and *axial colour*
- inherent to refractive optics (Refractors)
- can be disregarded for mirror optics (Reflectors)

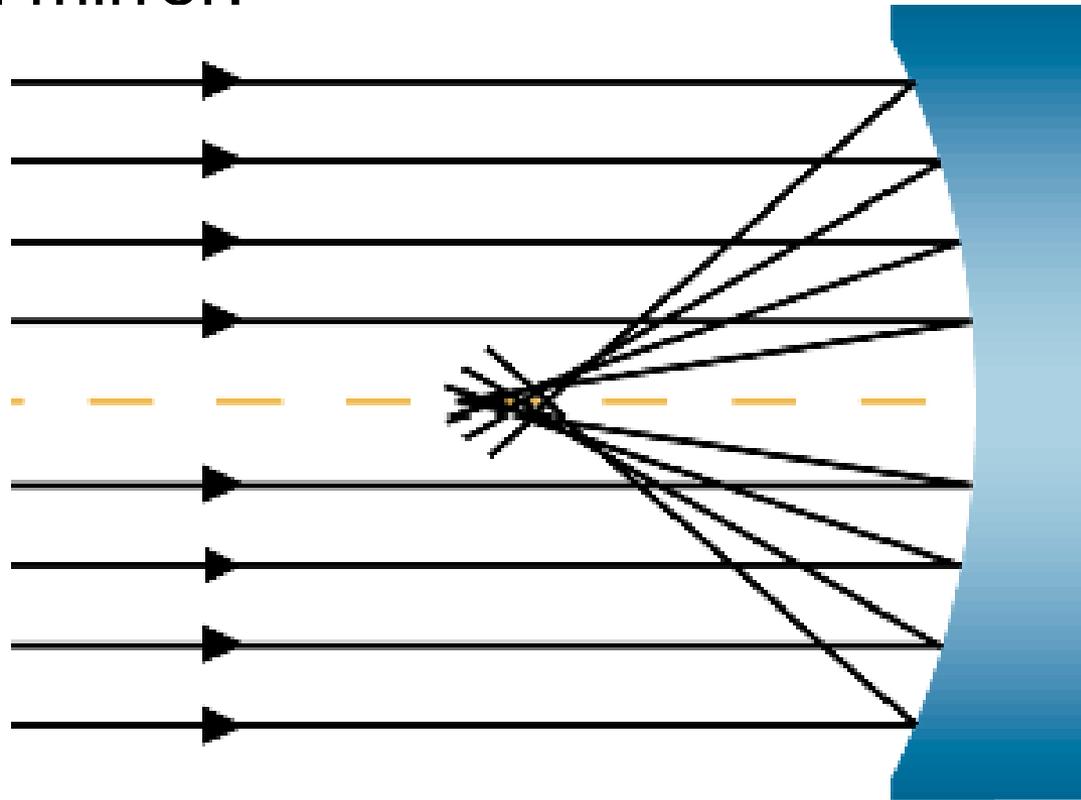
# shape aberrations

- wavefront deformation by optical surfaces
- relevant for both, reflecting and refractive surfaces!

In the following, we will demonstrate the problem using the example of a simple telescope:

# a simple (solar) telescope

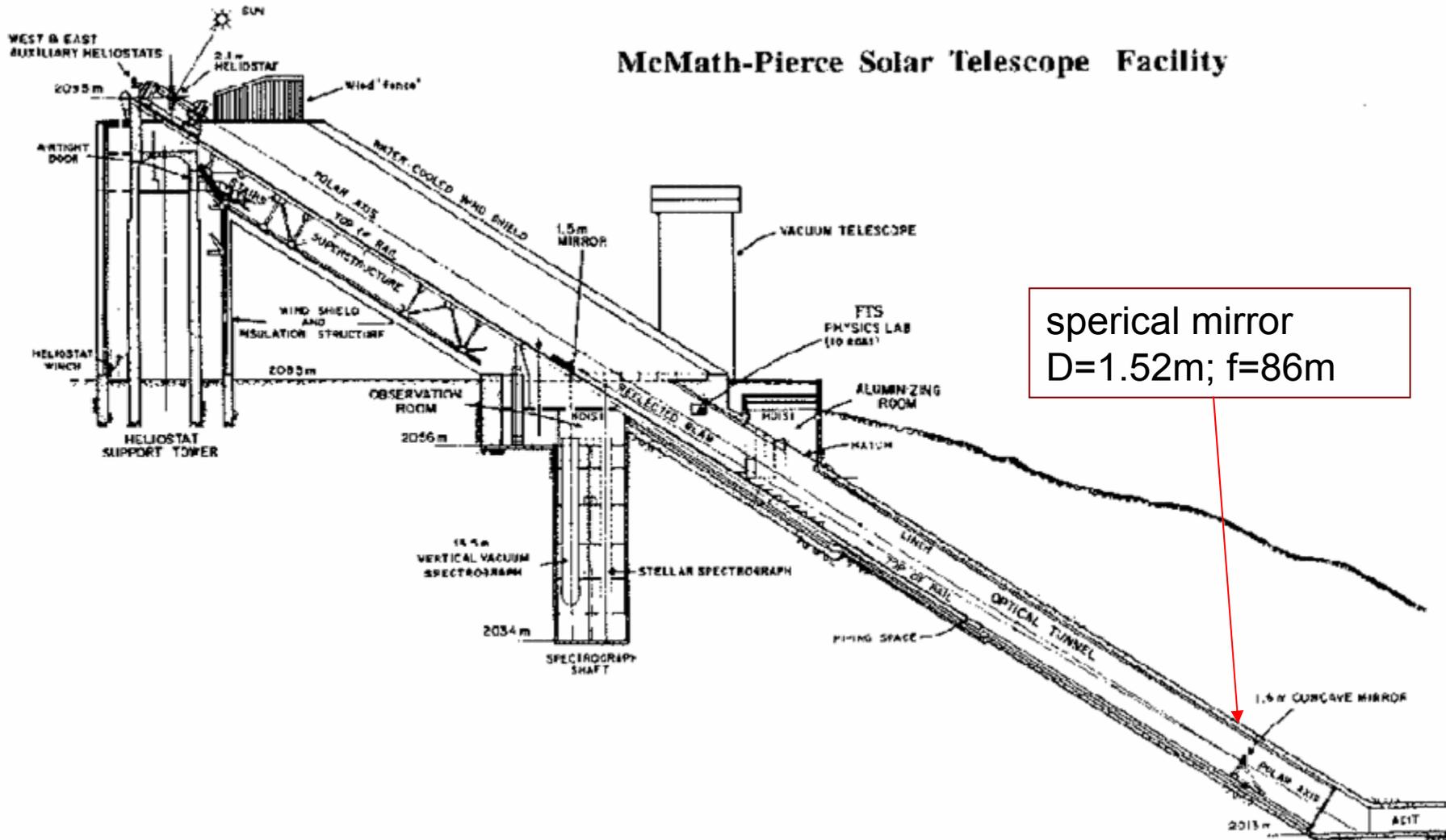
- Our example telescope uses nothing else then a spherical mirror:



# The Mc Math Pierce facility, Kitt Peak, Az



# McMath-Pierce facility (Kitt Peak National Observatory)





# spherical aberration

- spherical aberration limits the useful aperture of a spherical mirror (lens), and hence the f-ratio (german name: „Öffnungsfehler“)
- for  $f\# > 40$  spherical aberration becomes negligible as compared to the inevitable effect of diffraction (see next lecture) → spherical mirrors work very well for slow systems!!
- remark: spherical aberration is independent on field angle → spherical mirrors are ideal for wide angle systems → Schmidt camera

# excurs: The classical Schmidt camera

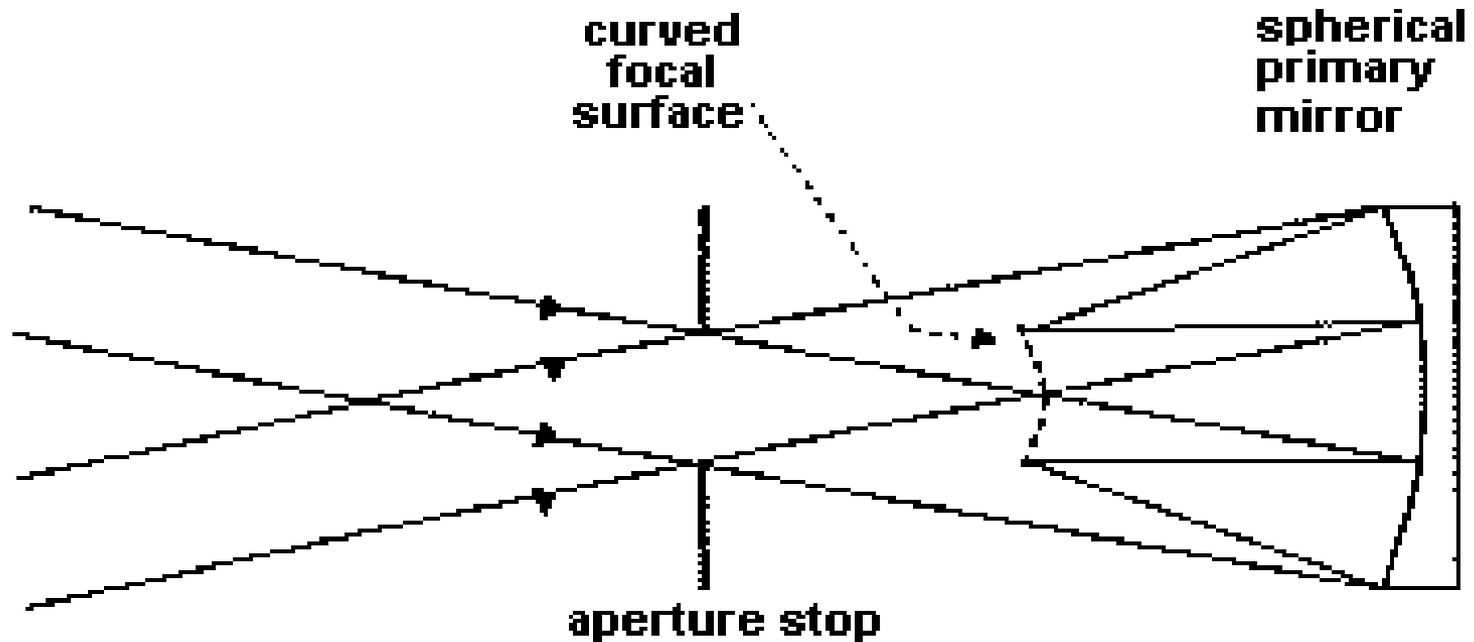


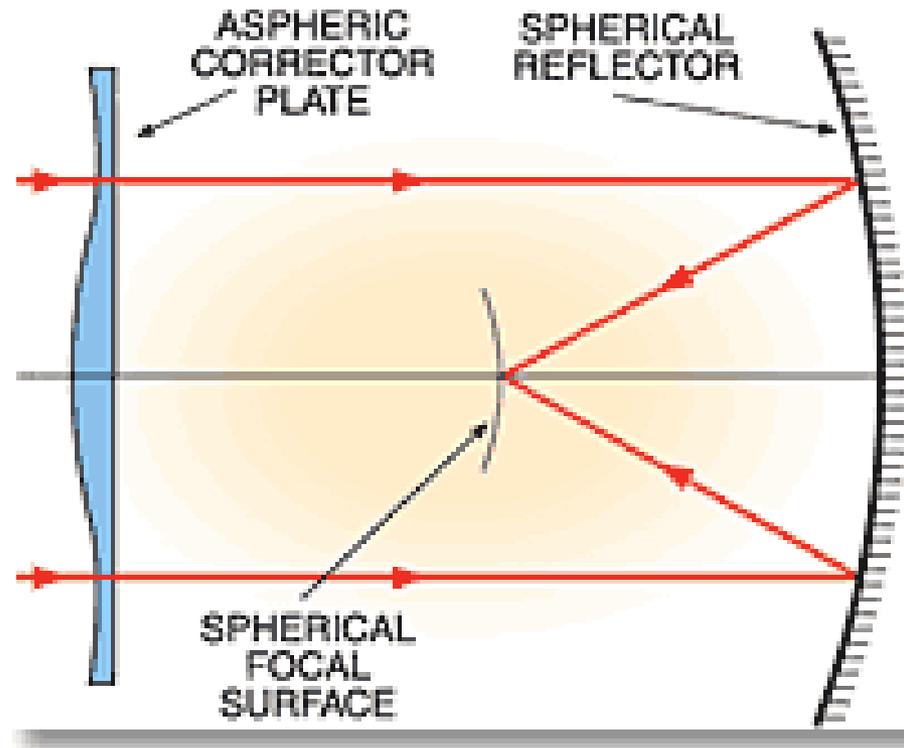
Figure 1. The optical layout of the lensless Schmidt camera.

# The classical Schmidt camera

- entrance aperture in center of curvature of the mirror limits the f-number to tolerable values of spherical aberration-→ **slow system**
- since the entrance aperture is placed in the center of the sphere, it works equally well for all directions on sky-→ **wide field camera!**
- sharp image lies on a **curved image plane**
- the size of this image limits the useful field, since it forms an obstacle for the entering light.....

# How to make a Schmidt camera faster?

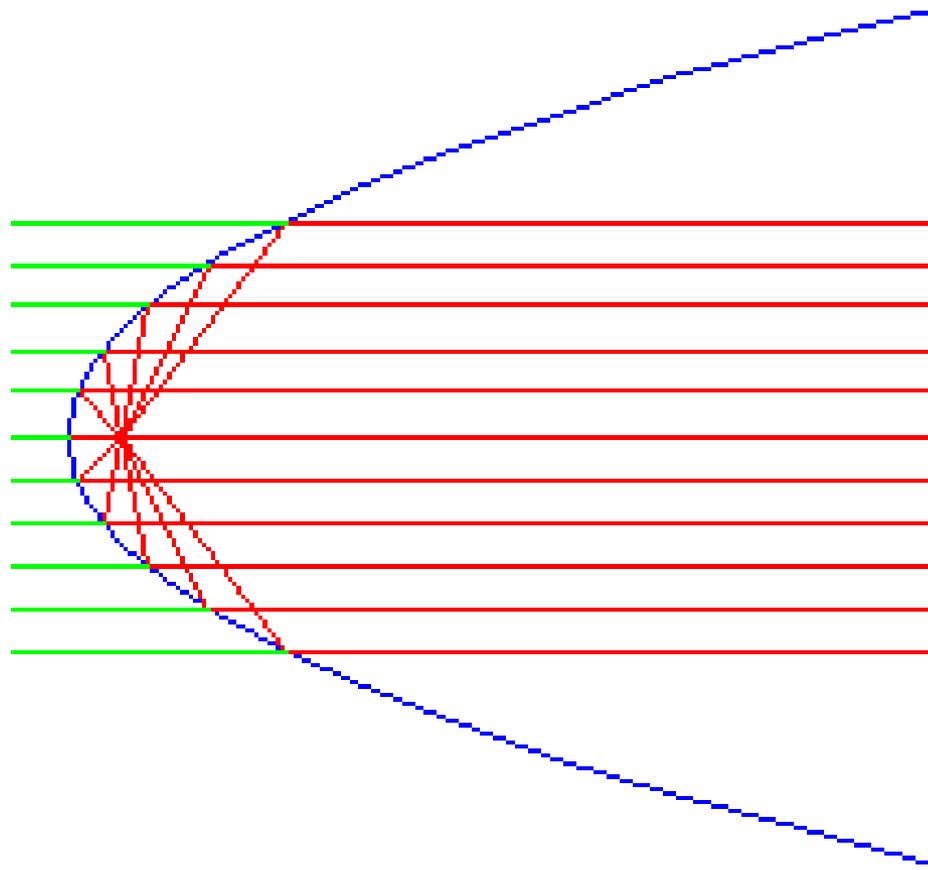
- a corrector plate („*Schmidt plate*“) in the enlarged entrance aperture (still in center of the spherical mirror) corrects for the now strong spherical aberration
  - in order to correct for the spherical aberration, it must deform the wavefront to an aspheric shape
- aspherisation („*aspheric optics*“, aspheric lens; hard to manufacture!!!)



# aspherical surfaces

- A sphere is not the best shape to focus parallel rays into one point; but there is a shape that does it:

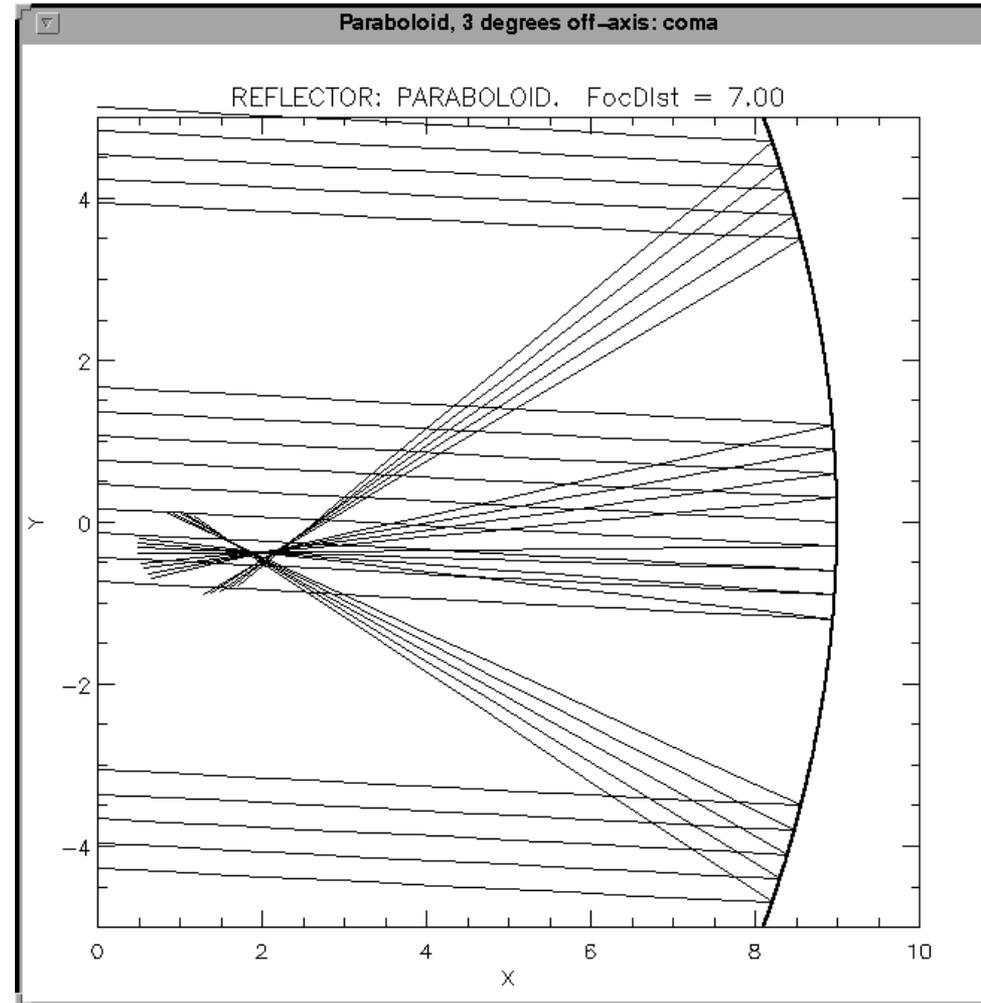
# aspheric optics: parabola



A parabolic shape is perfect for all apertures! But only for light rays entering along the symmetry axis! EXTREMELY LIMITED FIELD OF VIEW!

# aberrations of aspheres

- aberration free focus only „on axis“; deviation from rotational symmetry (edges of FOV) causes aberrations:
- (astigmatism)
- Coma



# selecting a mirror

- for large  $f\#$  a spherical mirror is the best choice (easy to manufacture, very insensitive to alignment errors: shift compensates tilt!)
- prime focus (solar) telescopes with  $f\# > 40$  use spherical mirrors
- example: McMath-Pierce facility on Kitt Peak ( $f\#$  54, 1.5m diameter, 86m (!) focal length, observation in prime focus)

# arguments against prime focus telescopes

- high angular resolution requires large effective focal length (non-vanishing pixel size!)
- in prime focus:

effective focal length = focal length = length!

Putting a McMath on a satellite might cause problems with the funding agencies....

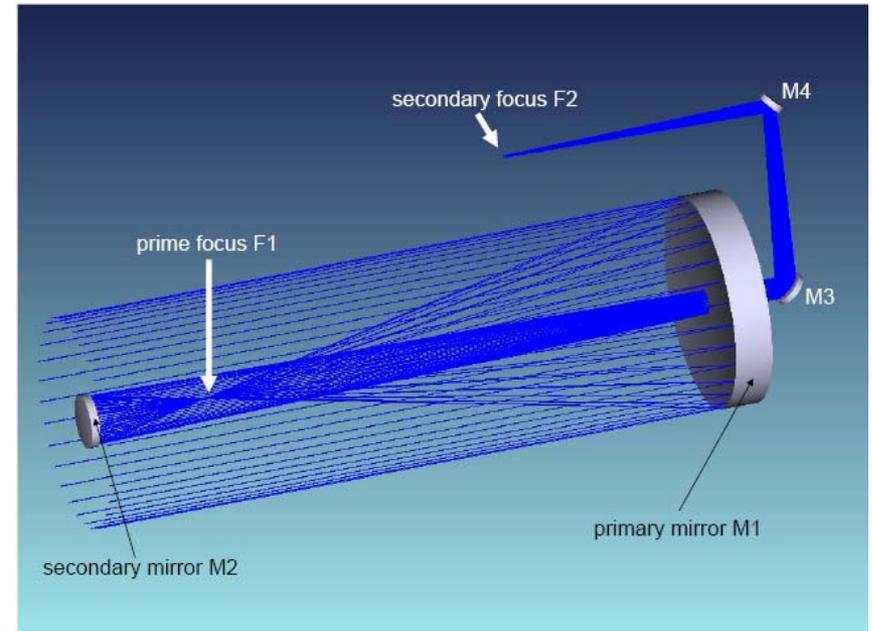
So, how to make a telescope compact??

# Telescopes with short primary focal length

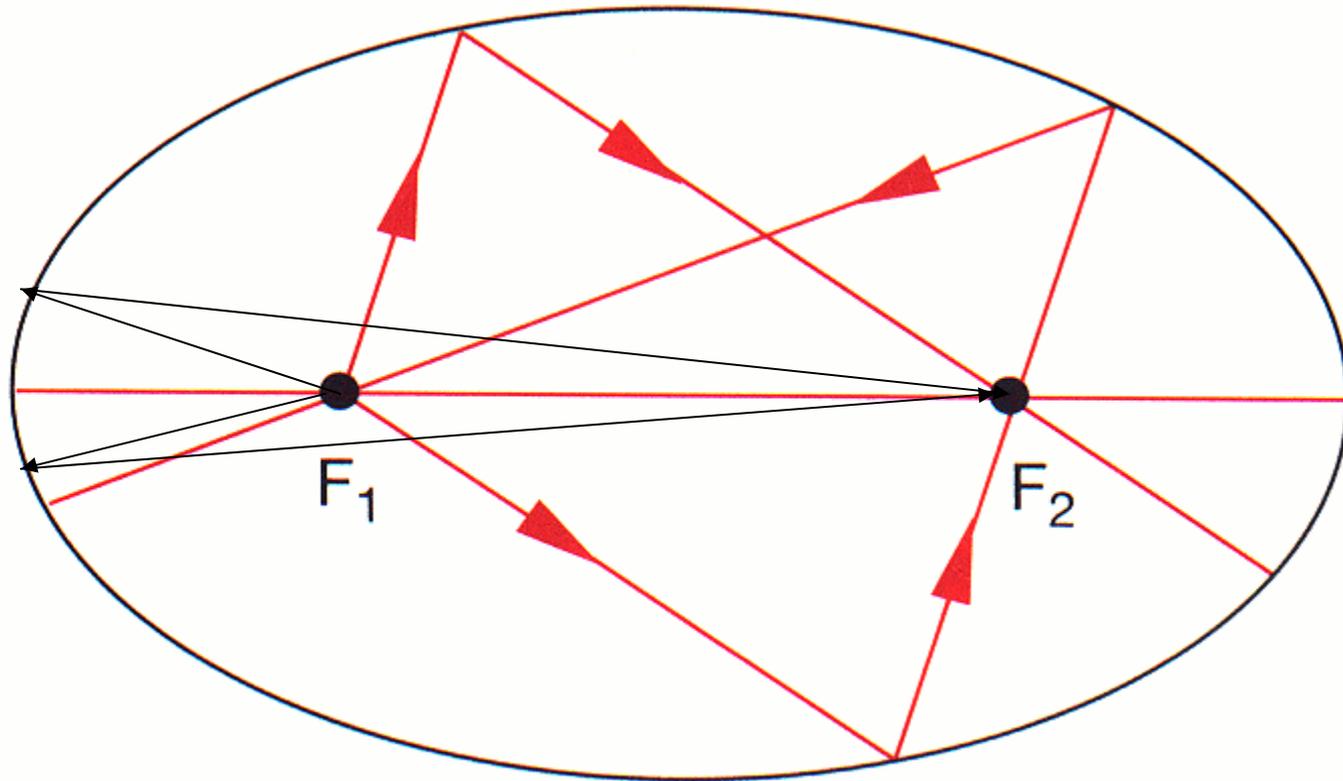
- compact telescopes consist of a short primary focal length + internal magnification
- observation in secondary (tertiary) focus
- folded designs
- 2nd mirror can be used to compensate for primary aberrations („optical systems“)

# Example: the Gregory telescope

- fast primary focus  $F1$  is provided by parabolic mirror
- then the primary image in  $F1$  is magnified by another asphere: the ellipsoid!



# aspheric optics: ellipsoid



# Sunrise telescope

parabolic primary  
 $D=1\text{m}$ ,  $f=2.42\text{m}$

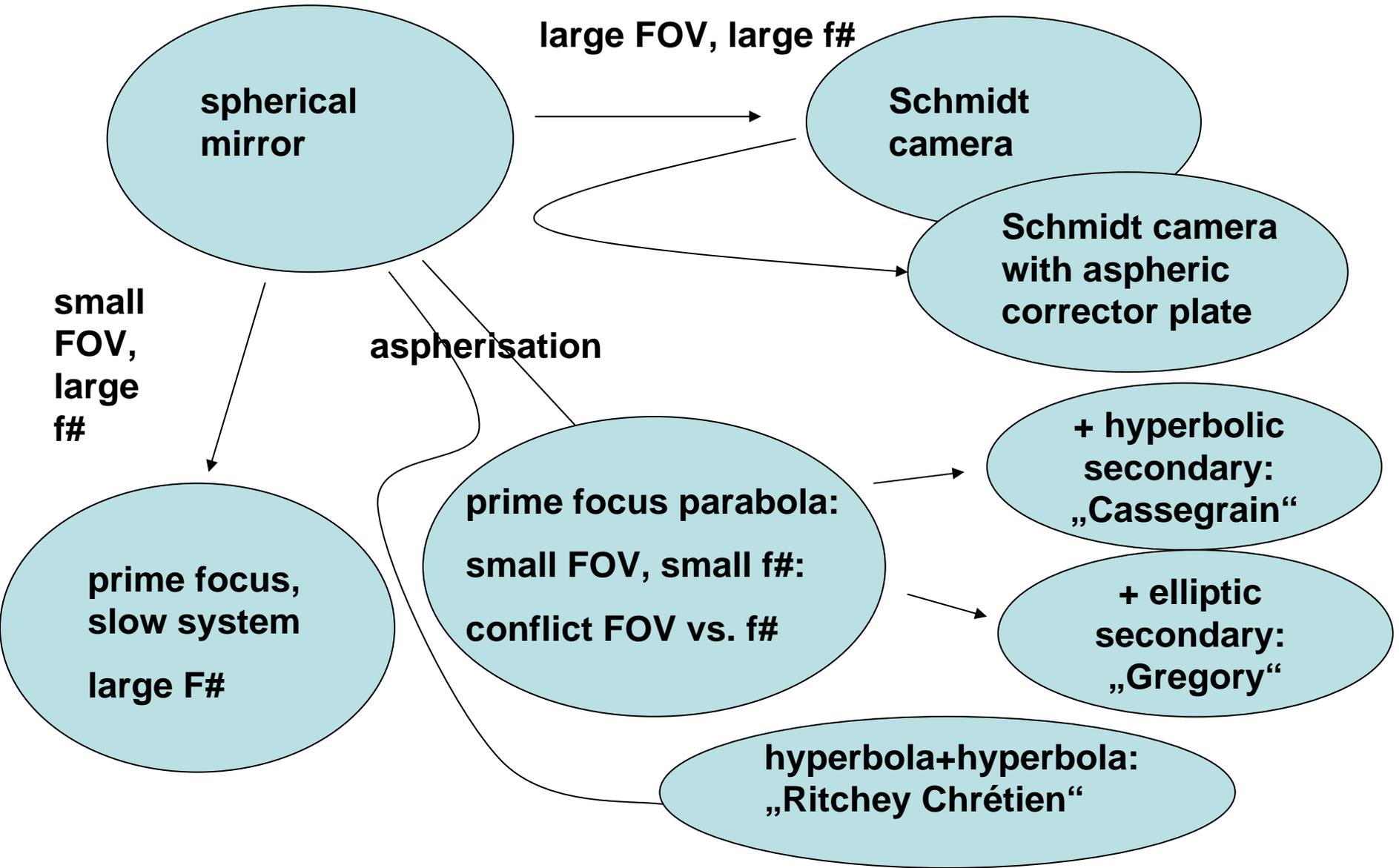
elliptic secondary  
mirror for 10times  
magnification ( $f=55\text{cm}$ ,  
 $490\text{cm}$ )



# other telescope types

- there is an endless number of telescope types
- the choice strongly depends on the specific needs
- one always has to find a compromise between field-of-view and  $f\#$
- in addition: your life gets tougher when going to shorter wavelengths → next lecture

# the telescope Zoo



# NOTA BENE!

- compensating optical aberrations of non-ideal surfaces by adding more surfaces must be done extremely carefully, otherwise you risk to fight fire with gas..
- **keep it as simple as you can**
- **an optical design that gives you perfect results on the computer might not work in reality: somebody has to build it, and you have to align it!!**